

# Phi in the Sky: Astrophysical Probes of Fundamental Physics

## Lecture 3

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# Varying $\alpha$ Cosmography

Model-independent approach: Taylor series expansion of possible redshift dependence of  $\alpha$

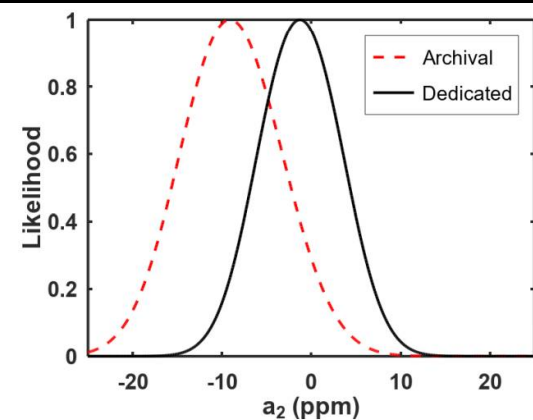
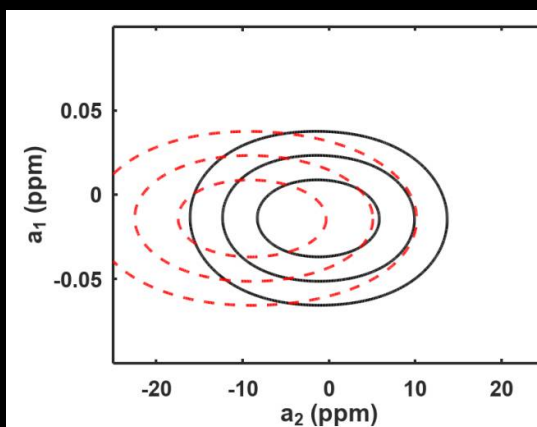
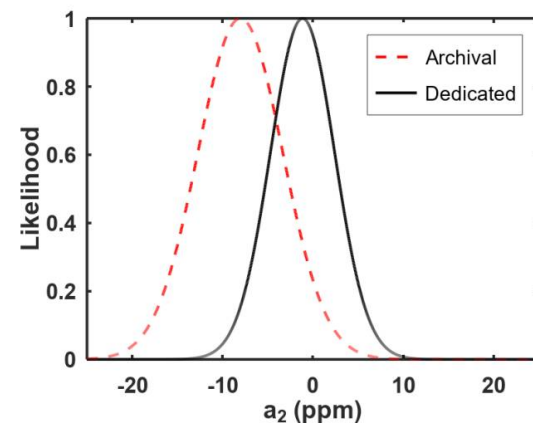
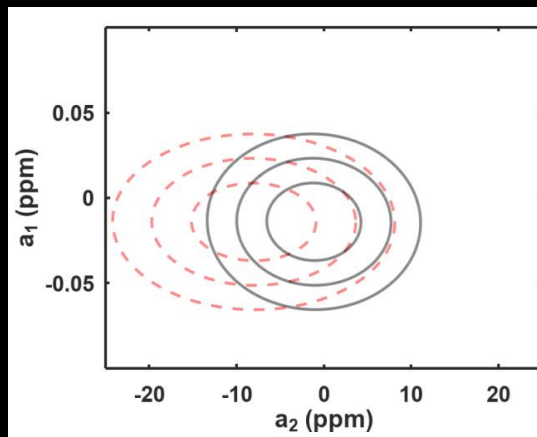
[Martins et al. 2022]

$$\frac{\Delta\alpha}{\alpha}(y) = \frac{1}{\alpha_0} \left( \frac{d\alpha}{dy} \right)_0 y + \frac{1}{2\alpha_0} \left( \frac{d^2\alpha}{dy^2} \right)_0 y^2 + \frac{1}{6\alpha_0} \left( \frac{d^3\alpha}{dy^3} \right)_0 y^3$$

$$y \equiv \frac{z}{1+z}$$

Atomic clocks constrain linear term, astrophysics constrains higher-order ones

No statistically significant evidence for variations ( $<2\sigma$  even for archival data)



# Counting Photons

The COBE-FIRAS black-body intensity spectrum of the CMB is among the most precise cosmological measurements, and yields the well known  $T_0 = 2.7260 \pm 0.0013$  [Fixsen 2009]

- This is confirmed by other measurements in the Galaxy
- However, this says nothing about the CMB temperature at non-zero redshift
- Such non-zero redshift measurements are scarce

In standard cosmology, assuming adiabatic expansion and photon number conservation, the CMB temperature obeys  $T_{\text{CMB}}(z) = T_0(1+z)$

- However, there are many non-standard scenarios which violate this (including all those where  $\alpha$  varies)
- Typically can be parameterised as  $T_{\text{CMB}}(z) = T_0(1+z)^{1-\beta}$  [Lima et al. 2000, ...]
- Opportunity to test many non-standard models

# QSO Absorption Lines and $T_{\text{CMB}}$

$T_{\text{CMB}}$  determined from QSO absorption spectra with transitions between fine-structure levels partly populated by the CMB [*Bahcall & Wolf 1968*]

- McKellar (1941) identified Galactic CN 2.3 K transition excited by CMB with  $T_0 = 2.729 \pm 0.027 \text{ K}$ , the first (indirect) CMB detection
- CN is best known CMB thermometer, but so far not identified outside our Galaxy

$\text{C}^0$ ,  $\text{C}^+$  and CO have UV transitions redshifted to optical at  $z \sim 1-3$  with fine-structure levels with  $T_{\text{exc}}$  close to the CMB

- $\text{C}^0$  has 3 fine-structure levels with  $T_{\text{exc}}$  of 23.6 K & 38.9 K: used since 1980s, latest  $T_{\text{CMB}}(z=2.4) = 10 \pm 4 \text{ K}$  [*Srianand et al. 2000*]
- $\text{C}^+$  has 2 fine-structure levels with  $T \sim 91.3 \text{ K}$ , which have been used to obtain  $T_{\text{CMB}}(z=3.0) = 12.1^{+1.7}_{-3.2} \text{ K}$  [*Molaro et al. 2002*]
- Both of these fine-structure levels can be populated by processes other than the CMB radiation, degrading the method's performance

# Carbon Monoxide

CO effectively systematic-free, as competing excitation mechanisms are almost negligible: measurements can be considered S/N dominated

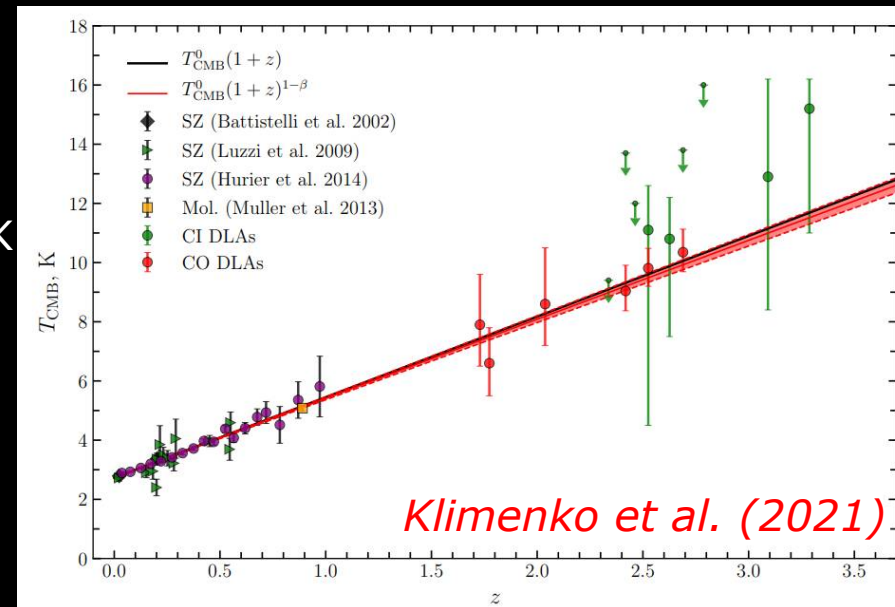
- Sobolev et al. (2015) estimated a small correction that should be applied for excitation by collisions with hydrogen atoms or molecules, but this is small
- Relies on electronic transition between A and X states at  $\sim 1544\text{\AA}$ , falling in the optical at  $z > 1.5$ ; other transitions between different rotational states also used

Only recently used, due to lack of high- $z$  CO detections (hard due to the low dust opacity required to observe background source)

First detection [Srianand et al. 2008]  $T_{z=2.4} = 9.15 \pm 0.72$  K

[Noterdaeme et al. 2011] provided 5 measurements with 0.7-1.3 K errors, later a 6<sup>th</sup>,  $T_{z=2.53} = 9.6^{+0.7}_{-0.6}$  K

[Muller et al. (2013)] used mm-range absorptions in 13 different molecules to find  $T_{z=0.9} = 5.08 \pm 0.10$  K



# A Photon Consistency Test

$T(z)=T_0(1+z)$  is a robust prediction of standard cosmology

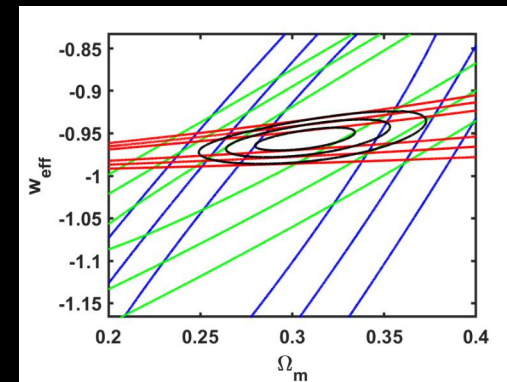
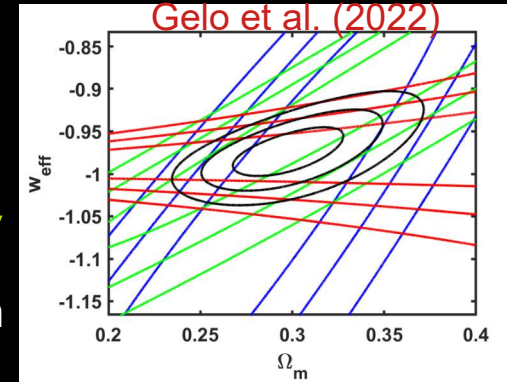
- Assumes adiabatic expansion and photon number conservation
- $T(z)$  is a competitive cosmological probe [Gelo et al. 2022]
- A simple parametrization is  $T(z)=T_0(1+z)^{1-\beta}$

$d_L=(1+z)^2d_A$  is a robust prediction of standard cosmology

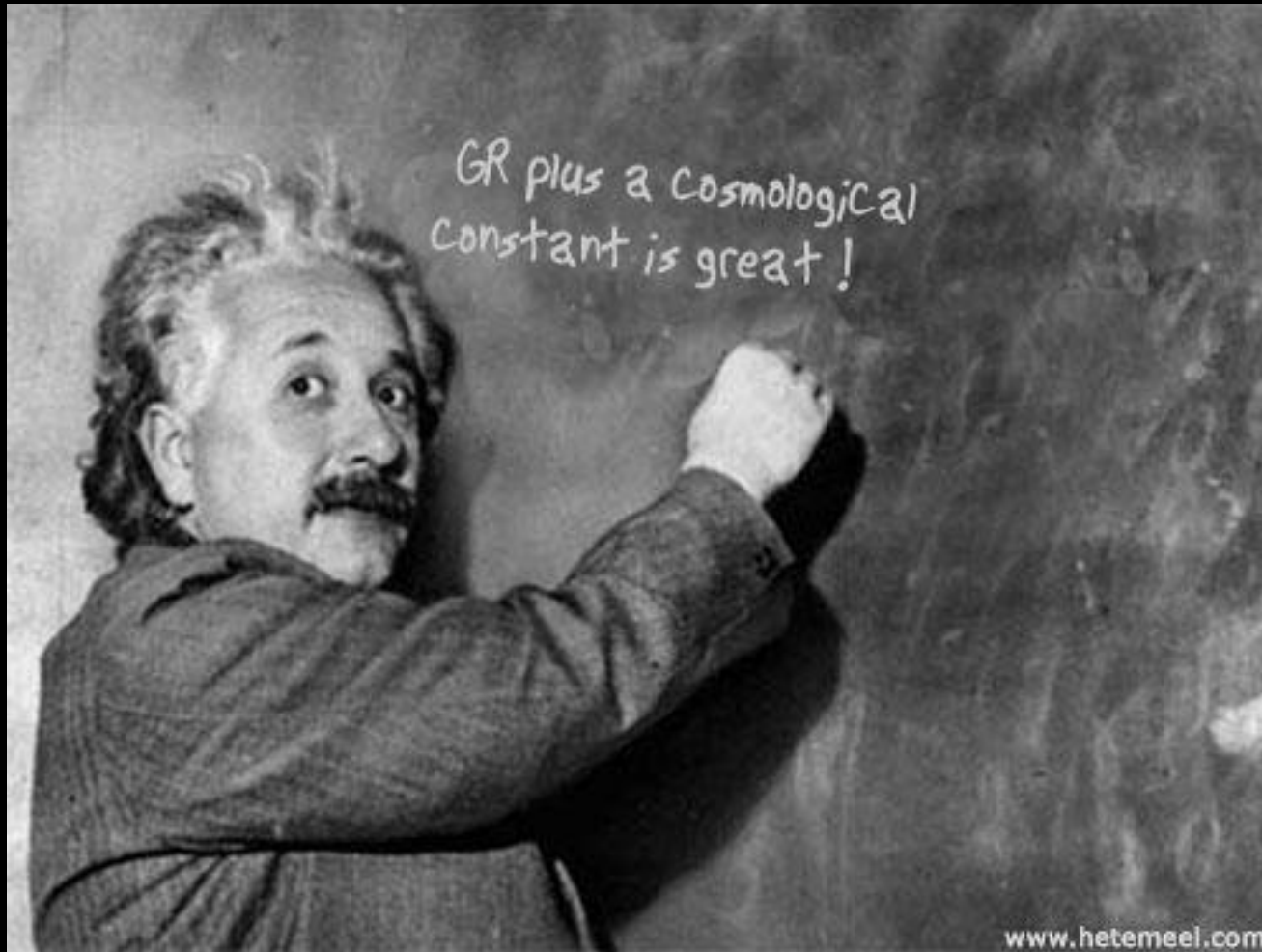
- Assumes metric theory of gravity, photon number conservation
- A simple parametrization is  $d_L=(1+z)^{2+\varepsilon}d_A$

In many models,  $\beta=-2\varepsilon/3$ : distance duality tests also constrain  $\beta$  [Avgoustidis et al. 2012]

- Current constraint 0.8% [Avgoustidis et al 2016, ...]
- Important external data, e.g. for Euclid constraints on non-standard models [Martinelli et al. 2020]



# ***Was Einstein Right?***



# Dark Energy & Varying Couplings

Universe dominated by unknown component whose gravitational behavior is similar to that of a cosmological constant

- A dynamical scalar field is (arguably) more likely
- Such a field must be slow-rolling (mandatory for  $p < 0$ ) and be dominating the dynamics around the present day

Couplings of this field will lead to potentially observable long-range forces and varying 'constants' [*Carroll 1998, ...*]

- These measurements (whether they are detections or null results) constrain fundamental physics and cosmology
- E.g., scalar field inevitably couples to nucleons, leading to WEP violations
- Current measurements already provide competitive constraints
- ESPRESSO provides significant improvements (and a testbed for the ELT)



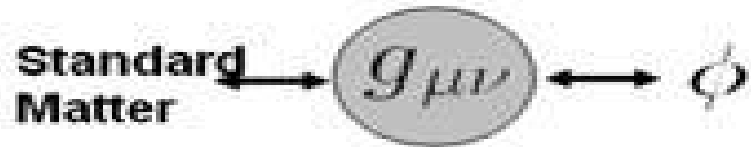
# How Low Should One Go?

Dark energy equation of state  $(1+w_0)$  is naively  $O(1)$  vs. Relative variation of  $\alpha$   $(\Delta\alpha/\alpha)$  is naively  $O(1)$   
Observationally  $< 10^{-1}$  Observationally  $< 10^{-5}$

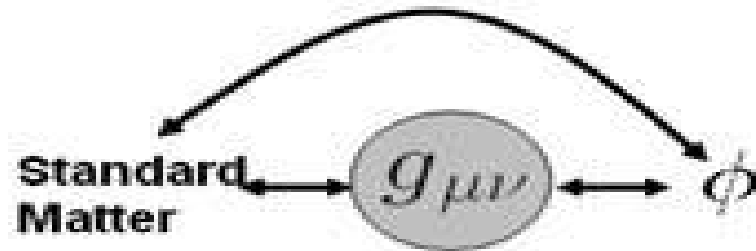
- If not  $O(1)$ , no 'natural' scale for variation: either fine-tuning...
- ...or a new (currently unknown) symmetry forces it to be zero

So is it worth pushing beyond ppm? Obviously yes!

- Strong CP Problem in QCD: a parameter naively  $O(1)$  is known to be  $< 10^{-10}$ , leading to postulate of Peccei-Quinn symmetry and axions
- Tight bound implies either no dynamical cosmological fields or a new symmetry – whose existence would be even more significant
- Anyway, strong dynamical dark energy and Equivalence Principle constraints

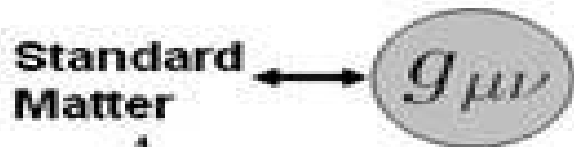


Ex: quintessence, .....



Ex: scalar-tensor theories, .....

Modification of Einstein equations  
Possibility of the variation of constants.



$A_\mu$

$\updownarrow$

$a_\mu$

Ex: photon-axion mixing

Test of distance duality  
relation



Ex: brane induced gravity, multigravity

Test of Poisson equation

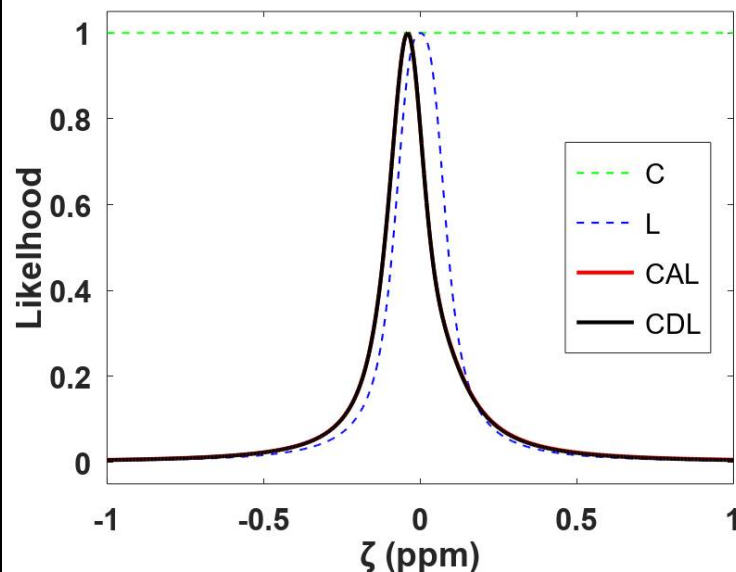
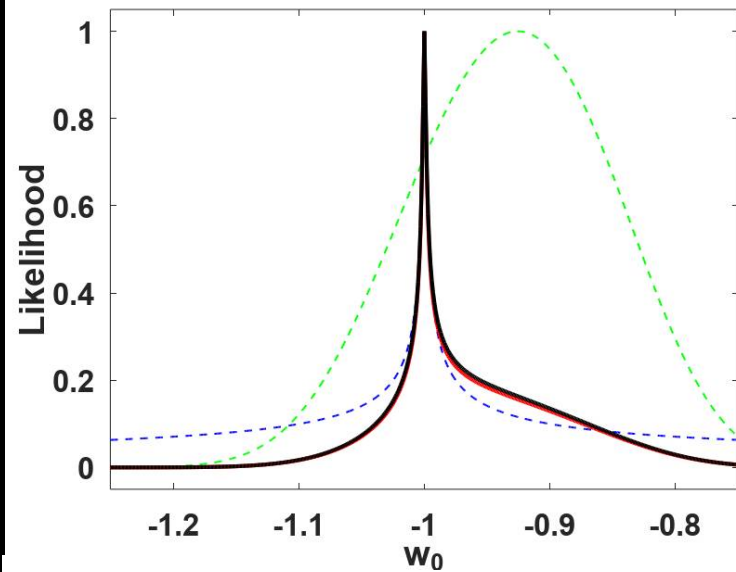
# Two Model Classes

Class I: the same degree of freedom yields dynamical dark energy and  $\alpha$

- $\alpha$  evolution is parametrically determined, constrains dark energy equation of state

$$\frac{\Delta\alpha}{\alpha}(z) = \zeta \int_0^z \sqrt{3\Omega_\phi(z')(1+w_\phi(z'))} \frac{dz'}{1+z'}$$

- Can distinguish freezing and thawing models [Vilas Boas et al. 2020]
- Example: CPL [Martins et al. 2022], from ESPRESSO & other low-redshift data
- Local constraints (atomic clocks, WEP) dominate, but redshift lever arm relevant

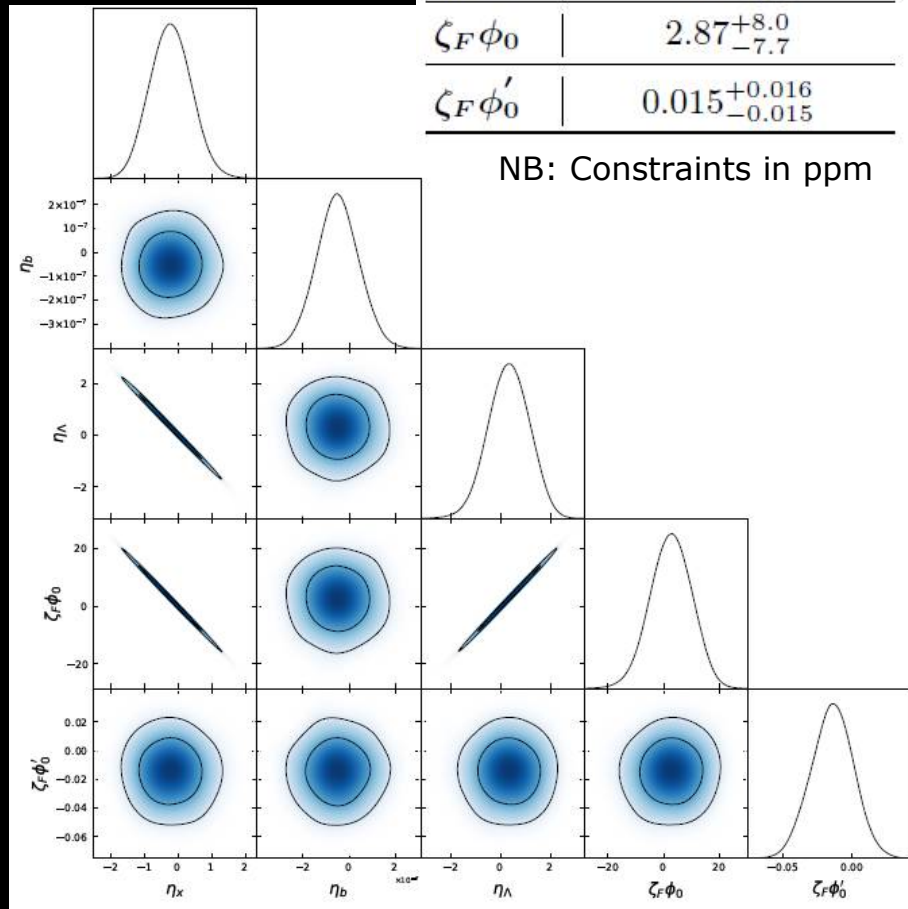


# Two Model Classes

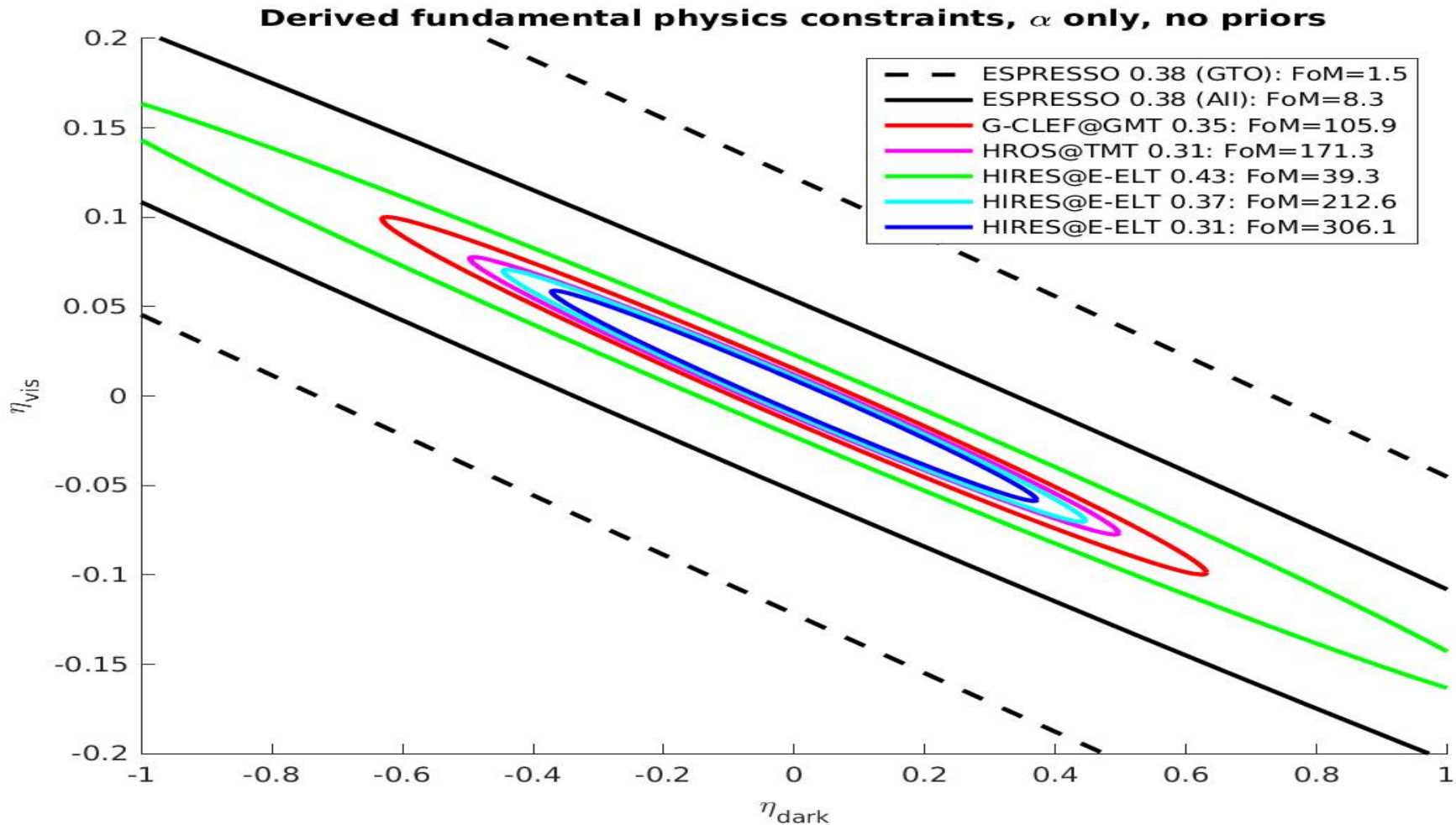
Class II:  $\alpha$  dynamical d.o.f. only has subdominant effect on recent dynamics

- I.e., there is a cosmological constant providing (most of) the dark energy
- Identifiable through consistency tests,  $\alpha$  still constrains model parameters
- Could be only non- $\Lambda$ CDM fingerprint [Tavares & Martins 2020]
- Example: Bekenstein-type models, couplings constrained to sub-ppm
- Full analysis in [Vacher et al. 2022]

Param	68% C.L.
$\eta_\chi$	$-0.24^{+0.63}_{-0.66}$
$\eta_b$	$(-0.54^{+0.93}_{-0.94}) \cdot 10^{-7}$
$\eta_\Lambda$	$0.34^{+0.88}_{-0.85}$
$\zeta_F \phi_0$	$2.87^{+8.0}_{-7.7}$
$\zeta_F \phi'_0$	$0.015^{+0.016}_{-0.015}$



# ELTs: Collecting Area vs. Blue Coverage



# A Simple Case Study: Rolling Tachyons

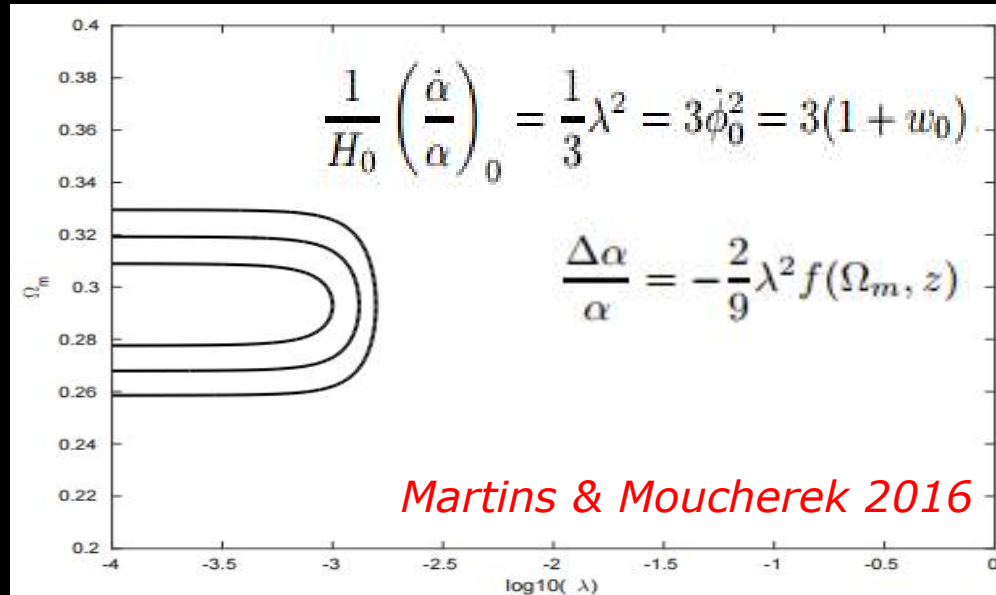
A rolling tachyon is a Born-Infeld scalar: well motivated in string theory, field dynamics unavoidably leads to  $\alpha$  variations [Sen 2002, ...]

- Tachyon Lagrangian generalizes the one for a relativistic particle, like quintessence one generalizes that of a non-relativistic one
- Quintessence couplings not fixed in Standard Model; here they come from an effective D-brane action (i.e., a DBI type action)

Potential slope determines  $w$  and  $\alpha$ : thawing models with  $\Delta\alpha/\alpha < 0$ , but extremely tightly constrained

$$(1 + w_0) < 2.4 \times 10^{-7}, \quad 99.7\% C.L.$$

Background cosmology data will never distinguish this from  $\Lambda$ CDM, only  $\alpha$  data can do it



# Constraining String Theory

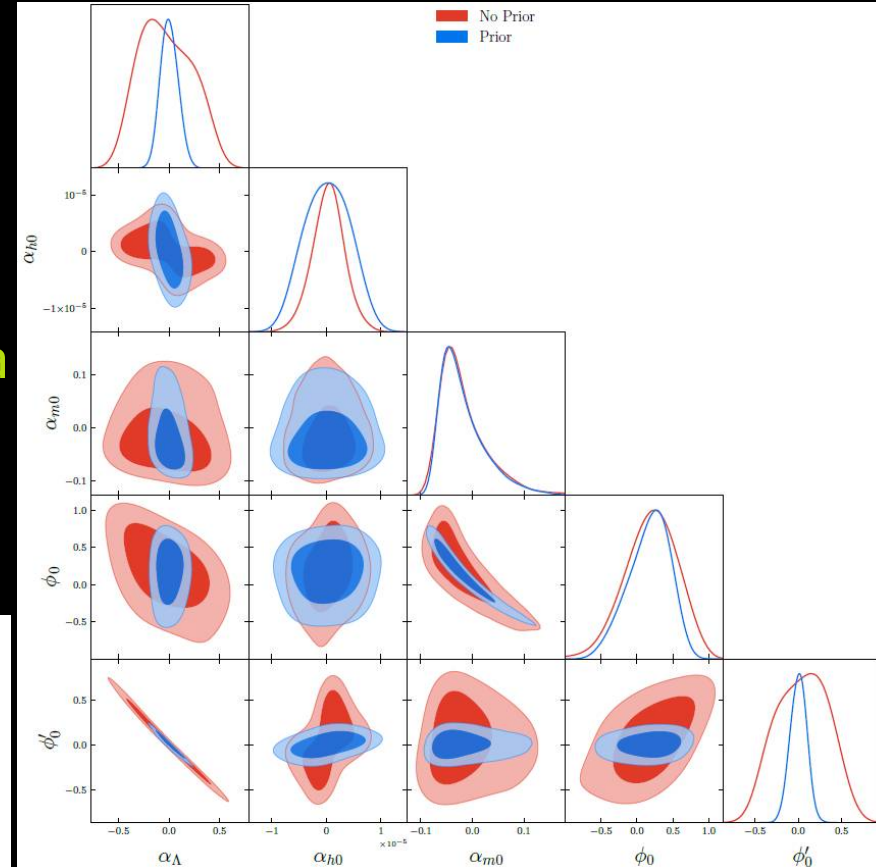
Runaway dilaton [*Damour et al. 2002*] is a string-inspired model reconciling massless dilaton with experimental data

- Dilaton has couplings  $\alpha_i$  with each component

$$\frac{2}{3 - \phi'^2} \phi'' + \left(1 - \frac{p}{\rho}\right) \phi' = - \sum_i \alpha_i(\phi) \frac{\rho_i - 3p_i}{\rho}$$

Constrained by cosmology,  $\alpha$  and local data cf. [*Vacher et al., Schoneberg et al. 2023*]

- Order unity couplings are now ruled out
- (Also tight limits for Swampland Conjecture)



Parameter	68 % C.L.
$\alpha_{h,0}$	$(0.01^{+4.22}_{-4.17}) \times 10^{-6}$
$\alpha_{m,0}$	$(-1.68^{+2.24}_{-5.78}) \times 10^{-2}$
$\alpha_V$	$(0.04^{+1.12}_{-1.27}) \times 10^{-1}$
$\phi_0$	$(1.64^{+3.82}_{-2.53}) \times 10^{-1}$
$\phi'_0$	$(0.02^{+1.36}_{-1.26}) \times 10^{-1}$

Parameter	Prior on $\phi'_0$	No prior on $\phi'_0$
$\alpha_{h,0}$	$(-1.63^{+4.33}_{-4.71}) \times 10^{-6}$	$(0.21^{+2.97}_{-2.80}) \times 10^{-6}$
$\alpha_{m,0}$	$(-1.70^{+2.08}_{-5.71}) \times 10^{-2}$	$(-1.39^{+2.65}_{-6.03}) \times 10^{-2}$
$\alpha_\Lambda$	$(0.50^{+8.94}_{-9.39}) \times 10^{-2}$	$(-0.16^{+2.34}_{-3.65}) \times 10^{-1}$
$\phi_0$	$(16.7^{+3.68}_{-2.43}) \times 10^{-1}$	$(17.5^{+4.25}_{-3.23}) \times 10^{-1}$
$\phi'_0$	$(0.20^{+9.97}_{-9.98}) \times 10^{-2}$	$(3.7^{+38.4}_{-31.0}) \times 10^{-2}$

# Spatial Variations: Symmetrons

Analytic calculations plus N-body simulations: 3D  $\alpha$  power spectrum

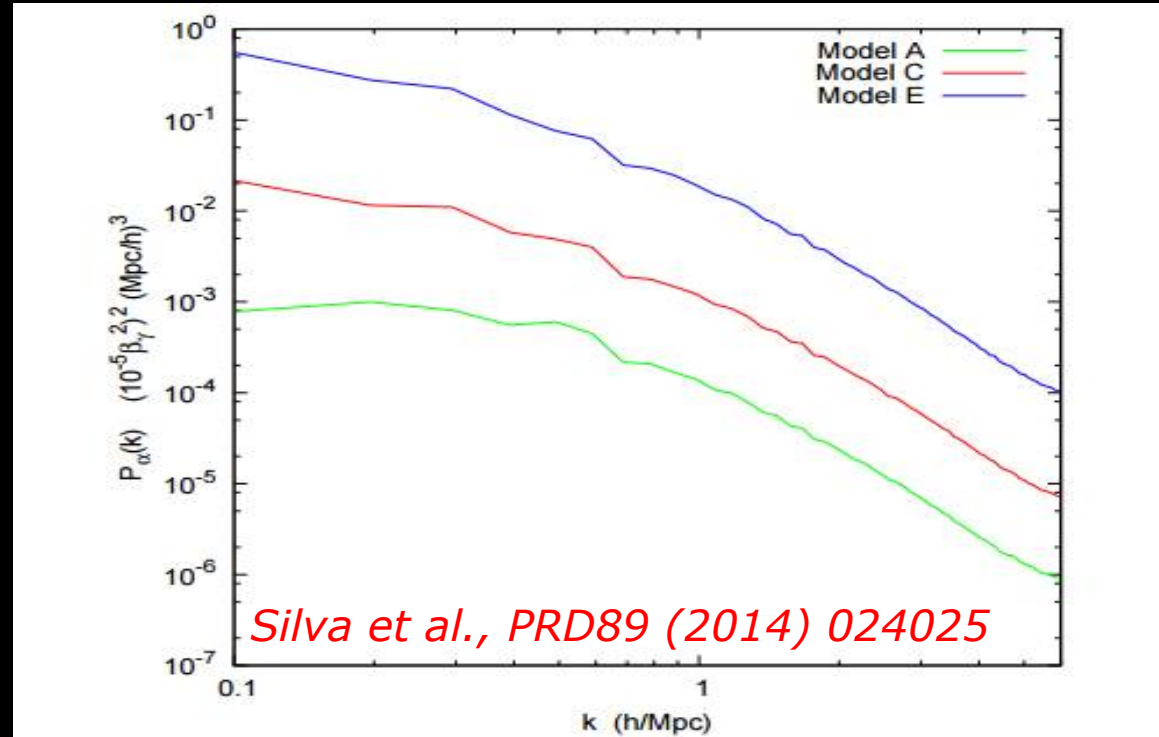
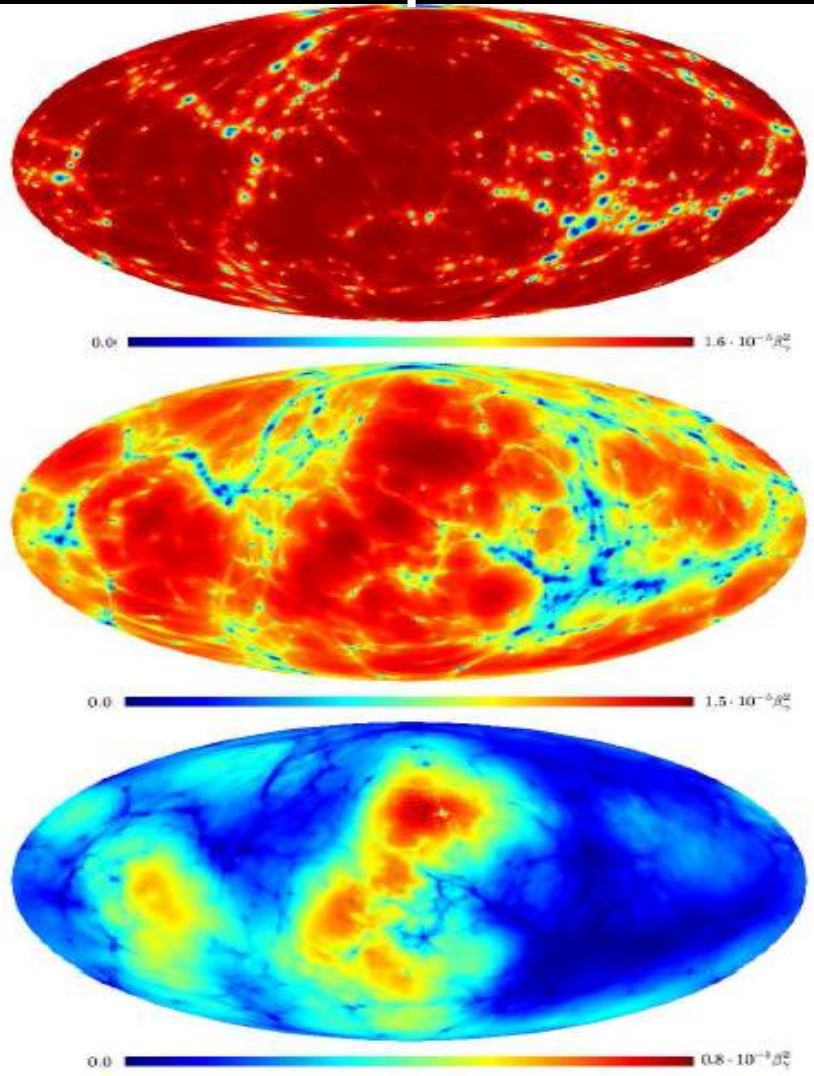


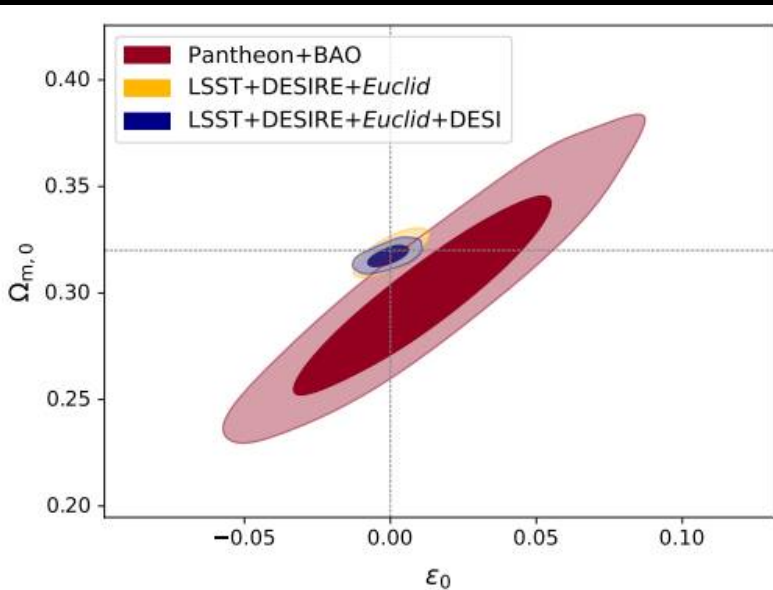
FIG. 9. The  $(\alpha - \alpha_0)$  power-spectrum at  $z = 0$  for the models A, C and E (solid).



# Interlude: A Euclid Test

Euclid & other surveys probe Etherington relation (which holds for metric theories of gravity with photon number conservation)

- Improved previous constraints by factor 2.5 [Martinelli et al. 2020]
- Euclid improvement: 6x with parametric methods...
- ...or 3x with non-parametric methods (MLGA reconstruction)



## Euclid: Forecast constraints on the cosmic distance duality relation with complementary external probes\*

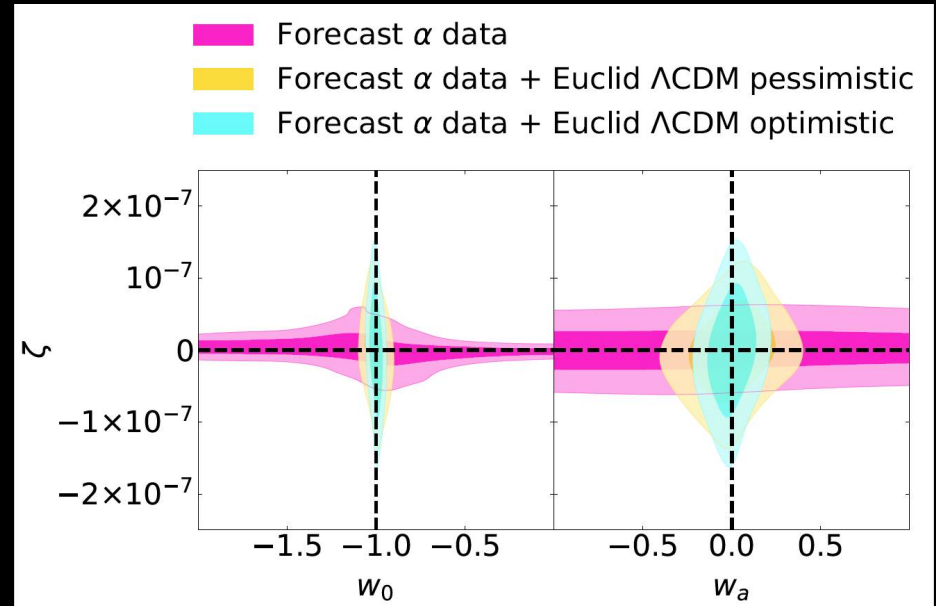
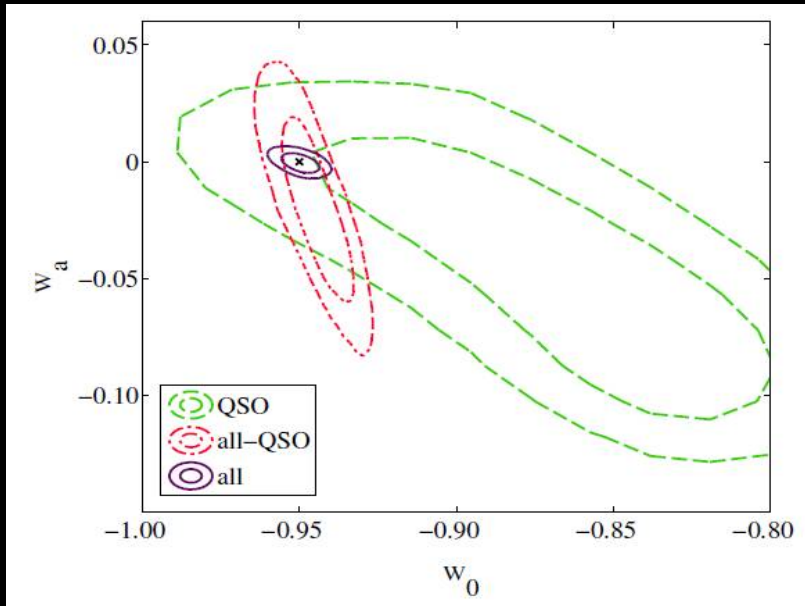
M. Martinelli<sup>1\*\*</sup>, C.J.A.P. Martins<sup>2,3</sup>, S. Nesseris<sup>1</sup>, D. Sapone<sup>4</sup>, I. Tutusaus<sup>5,6</sup>, A. Avgoustidis<sup>7</sup>, S. Camera<sup>8,9,10</sup>, C. Carbone<sup>11</sup>, S. Casas<sup>12</sup>, S. Ilić<sup>13,14,15</sup>, Z. Sakr<sup>15,16</sup>, V. Yankelevich<sup>17</sup>, N. Auricchio<sup>18</sup>, A. Balestra<sup>19</sup>, C. Bodendorf<sup>20</sup>, D. Bonino<sup>10</sup>, E. Branchini<sup>21,22,23</sup>, M. Brescia<sup>24</sup>, J. Brinchmann<sup>3</sup>, V. Capobianco<sup>10</sup>, J. Carretero<sup>25</sup>, M. Castellano<sup>23</sup>, S. Cavuoti<sup>24,26,27</sup>, R. Cledassou<sup>28</sup>, G. Congedo<sup>29</sup>, L. Conversi<sup>30,31</sup>, L. Corcione<sup>10</sup>, F. Dubath<sup>32</sup>, A. Ealet<sup>33</sup>, M. Frailis<sup>34</sup>, E. Franceschi<sup>18</sup>, M. Fumana<sup>11</sup>, B. Garilli<sup>11</sup>, B. Gillis<sup>29</sup>, C. Giocoli<sup>35,36,37</sup>, F. Grupp<sup>20,38</sup>, S.V.H. Haugan<sup>39</sup>, W. Holmes<sup>40</sup>, F. Hormuth<sup>41</sup>, K. Jahnke<sup>42</sup>, S. Kermiche<sup>43</sup>, M. Kilbinger<sup>12</sup>, T.D. Kitching<sup>44</sup>, B. Kubik<sup>45</sup>, M. Kunz<sup>46</sup>, H. Kurki-Suonio<sup>47</sup>, S. Ligori<sup>10</sup>, P.B. Lilje<sup>39</sup>, I. Lloro<sup>48</sup>, O. Marggraf<sup>49</sup>, K. Markovic<sup>40</sup>, R. Massey<sup>50</sup>, S. Mei<sup>51</sup>, M. Meneghetti<sup>35,37</sup>, G. Meylan<sup>52</sup>, L. Moscardini<sup>18,36,53</sup>, S. Niemi<sup>44</sup>, C. Padilla<sup>54</sup>, S. Paltani<sup>32</sup>, F. Pasian<sup>34</sup>, V. Pettorino<sup>12</sup>, S. Pires<sup>12</sup>, G. Polenta<sup>55</sup>, M. Poncet<sup>28</sup>, L. Popa<sup>56</sup>, L. Pozzetti<sup>18</sup>, F. Raison<sup>20</sup>, J. Rhodes<sup>40</sup>, M. Roncarelli<sup>18,36</sup>, R. Saglia<sup>20,38</sup>, P. Schneider<sup>49</sup>, A. Secroun<sup>43</sup>, S. Serrano<sup>5,6</sup>, C. Sirignano<sup>57,58</sup>, G. Sirri<sup>53</sup>, F. Sureau<sup>12</sup>, A.N. Taylor<sup>29</sup>, I. Tereno<sup>59,60</sup>, R. Toledo-Moreo<sup>61</sup>, L. Valenziano<sup>18,53</sup>, T. Vassallo<sup>38</sup>, Y. Wang<sup>62</sup>, N. Welikala<sup>29</sup>, J. Weller<sup>20,38</sup>, A. Zacchei<sup>34</sup>

# Interlude: Euclid & Varying $\alpha$

Euclid forecast constraints on dark energy coupled to electromagnetism, with astrophysical and laboratory data [Martinelli et al. 2021]

- Improves Euclid dark energy FoM by between 8% and 26%, depending on the correct fiducial model (larger improvements in the null case)

Increasing redshift lever arm is crucial [Calabrese et al. 2014]



# Interlude: Strong Gravity

GR well tested in weak field regime (table-top, solar system, pulsars), but two strong-field effects have no weak-field limit

- Presence of a horizon around collapsed objects
- No stable circular orbits near a black hole or neutron star

Strong-field tests of gravity are important too, and the Galactic Centre is an ideal environment in which to do it

- Direct test of metric theories (e.g., Kerr black hole solution not unique to GR)
- May provide further insight on the nature of spacetime (GR is classical, and may break down in this limit)

In GR, post-Newtonian effects depend exclusively on distance from center; in alternative theories other factors play a role

- The closer one gets to the center the stronger the constraints, and the higher the chances of identifying new physics
- Horizon size of Schwarzschild  $4 \times 10^6 M_{\odot}$  black hole at GC is  $\sim 10 \mu\text{as}$

# Mind Your Cosmological Priors

If  $\Omega = -1$  is a good fit to all the data. If  $w = -1$ , then flat  $\Lambda$ CDM is a good fit to all the data. If  $w = 1$ , then  $\Omega = -1$  is a good fit to all the data.